

Computer-aided Courses of Mathematics at University of Pécs, Faculty of Engineering and Information Technology

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Kick-off Meeting for CEEPUS Network



Hungarian King Louis the Great initiated establishment of a university in the episcopal city of Pécs in 1367 Fresco of Andor Dudás in the Hall of University of Pécs (1923)



Faculty of Engineering and **Information Tecnology** Architecture, civil-, environmental-, electrical engineering, information technology and architectural design BSc, MSc, DLA, PhD, English, Hungarian

Kick-off Meeting for CEEPUS Network:



Research groups

- Energy Design Research Team
- Efficiency of Resources Research Team
- Building Energetics and Building Ecology Research Team
- Sustainable Cities Research Team
- Heritage Protection Research Team
- Computer Algebraic and Dynamic Geometrical Systems in Higher Education
- Structural Diagnostics and Analysis Research Team
- Solidarity Architecture Research Team
- Virtual Measuring Systems and Machine Perception

PhD – DLA Symposium <u>https://phdsymp.mik.pte.hu/</u>

Doctoral students present their research topics and results at an international conference. The International PhD Symposium has been held annually for 11 years and over the two days of the symposium an estimated 160 presentations are delivered in different sections.



- Experimental period first steps new tool revolution new didactical access (computer algebra system - CAS - was new for teachers and students)
- Discovering period pre-designed worksheets usage as many times as possible (new for students)
- Period of expanded use new didactical tasks limits of utility development of hardware and software – test and assessment systems – many CAS applications for mobile phone –integrating programing, engineering and Math courses (it is the part of every day life)
- Future ?

Pécsi Tudományegyetem JUBILEUM 650 +

Experimental period



Interactive learning environment

Reproduction Organiser Too1 Symbolical Numerical computation computation CAS in Math Teaching Language Link Connection Reflection Automation Experimenter Visualisation

common language



Difficulties:

- Inexperience
- Technical hadness 1D input
- Lack of time
- Didactical problems



Experimental period

Expectations and observations:

- Students can become active participants in the learning-teaching process
- Using the tools makes it possible to teach concepts which are often used in engineering
- Extend creative learning
- Structured knowledge-building modularization
- Multiple representation
- Changing learning style of students passive \Rightarrow active, concrete \Rightarrow abstract
- Development of conjecture
- Easy visualization



Discovering period

From the Newton-law: > eq:=diff(x(t),t\$2)+2*beta*diff(x(t),t)+omega^2*x(t)=0; eq:= $\left(\frac{d^2}{dt^2}x(t)\right)+2\beta\left(\frac{d}{dt}x(t)\right)+\omega^2x(t)=0$

It's seen that this equation for x(t) is a second-order, constant-coefficient, linear, homogenous differential equation system.

Let's check the shape of the given path-time function! Find the particular solution when $\chi(0)=0$, D(x)(0)=ymax.

> part_sol:=dsolve({eq, x (0)=0, D (x) (0)=vmax}, x (t));
part_sol:= x(t) =
$$\frac{1}{2} \frac{vmax e^{((-\beta + \sqrt{\beta^2 - \omega^2})t)}}{\sqrt{\beta^2 - \omega^2}} - \frac{1}{2} \frac{vmax e^{((-\beta - \sqrt{\beta^2 - \omega^2})t)}}{\sqrt{\beta^2 - \omega^2}}$$

Instrumental orchestration

- Have short textual explanations
- Introduce first every new command according to the principle of spirality through a mathematical problem



Instrumental orchestration

• Step by step ⇒ self made procedures ⇒ built in procedures



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Discovering period





Instrumental orchestration

Black box white box: visualization, engineering applications

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Discovering period

Expectations and observations

- Network based learning
- Cover the whole syllabus of the course
- Usage as many times as possible
- Instrumental orchestration
 - Have short textual explanations
 - Introduce first every new command according to the principle of spirality through a mathematical problem
 - Applications being written according with gradation (white box black box)
 - Step by step \Rightarrow self made procedures \Rightarrow built in procedures
 - Black box white box: visualization, engineering applications

Difficulties:

- Deep understanding only for the best students
- Everything is ready: no conceptual understanding
- Didactical problems:
 - Some exercises became routine ones with help of it
 - Not the technical details but the mathematical meaning is always the most important
 - Avoid using CAS only for the end in itself; it is only the inferior of the mathematical subject matter
 11



Lecture: presentation (ppt, Prezi, video...) definition, theorems, few example + oral explanation **Seminar:** paper work, simple examples , more complicated examples using CAS, independent student work



I. Perjési- Hámori: Simulation of Heat Radiation Asymmetry With Maple 7th Vienna Conference on Mathematics Modelling Febr. 15-17, 2012



J. Vajda, I. Perjési-Hámori: *Two dimensional mathematical model of heat-transmission of one- and doublelayer building* Pollack Periodica Vol. 2, No.3, pp.25-34, 2007.



I. Perjési-Hámori: Two Dimensional Mathematical Model of Heat-transmission Using MAPLE poster 8th Vienna Conference on Mathematics Modelling Febr. 17-20, 2015 Mathematical Modelling , Volume # 8 | Part# 1 689-690



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Actions	Content Manager	Gradebook	System Admin	Help				
Matematika3								
PTE								
Ildikó Perjésiné Hámori (perjesi@pmmik.pte.hu)								
Select the link for an assignment to begin:								

Assignment Name	Points	Туре	Availability
Kétváltozós integrál - feladat		Homework/Quiz	Unlimited
Kétváltozós integál elmélet		Homework/Quiz	Unlimited
Kétváltozós függvény gradiens és szélsőérték- feladatok		Homework/Quiz	Unlimited
Kétváltozós függvény parciális és iránymenti derivált-feladatok		Homework/Quiz	Unlimited
Kétváltozós függvények deriválása-elmélet	5.0	Homework/Quiz	Unlimited
Függvénysor elmélet	10.0	Homework/Quiz	Unlimited
Függvénysorok gyakorló feladatok	12.0	Homework/Quiz	Unlimited
Szamsorok elmelet gyakorlo		Homework/Quiz	Unlimited
Szamsoros feladatok gyakorlo		Homework/Quiz	After 4/26/13 9:42 AM

Question 4: (1 points)

A *T* tartományon integrálható f(x, y) kétváltozós függvény $t(T) \neq 0$ területű *T* tartományra vonatkozó integrálközépértékén az $\frac{1}{t(T)} \cdot \iint_{T} f(x, y) dx dy$ kifejezéssel definiált számot értjük.

Határozza meg az f(x, y) = x + 2y + 2 függvény T tartományra vonatkozó integrálközépértékét, ha a tartományt az x-tengely, az x = 4 egyenes és a $g(x) = 2\sqrt{x}$ függvény grafikonja határolja.

<i>t(T)</i> =	वे 🖻
A belső integrál értéke:	d 🖻
A kettős integrál értéke:	d 🖡
Az integrálközépérték:	d 🗈



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Question 2: (1 points)

Válassza ki az alábbbi tarományok közül azokat, amelyek esetén az $\iint f(x, y) dT$ integrál az $f(x, y) = x^2 + 4y$ függvény grafikonja és a *T* tartomány által határolt hengeres térrész térfogatának

számértékét adja.

- \Box -2 \leq x \leq 2 és -1 \leq y \leq 1
- $-2 \le x \le 2 \text{ és } 0 \le y \le 1$
- y= \sqrt{x} és y= 2 x 1
- $y = 4 x^2$ és y= x + 5 görbék által határolt tartomány.





Kick-off Meeting for CEEPUS Network:



Expectations and observations:

- Students are aboriginals, teachers are immigrants in IT
- Students are users but do not know about programming
- User friendly interface
- Test and assessment system based on Maple
- CAS applications for mobile phone, free software's (GeoGebra)
- Integrating programing, engineering and math courses (it is the part of every day life)

Difficulties:

- Didactical problems:
- Role of teacher is not clear
- Why we have to understand math, why is not enough the applications?
- There are standards in the softwares, which one is the more useful? (Price, univerity licenses, comparison)



Conclusion

No way to ignore software or own-written computer programs in mathematics and engineering education and research.

In Hungary:

Secondary school: e.g. GeoGebra (Geomatech project), Euklides, Cindarella

University level: basic courses: e.g. MAPLE, Mathematika

special courses: e.g. Mathlab, Autocad, Archicad, ANSYS, COSMOS,





Thank you for your attention

Colleagues and students are welcome in Pécs

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